A large steelhead trout is shown swimming in clear, blue-green water. The fish is positioned horizontally, facing left, with its body angled slightly upwards. It has a silvery-green back with dark spots and a bright orange-red head and gill area. The background shows a rocky riverbed with various sized stones and some smaller fish swimming in the distance.

Clearing the hurdle: how arrival timing and size influence reproductive success in steelhead returning to Fish Creek, Idaho

Audrey Harris^{1*}, Marika Dobos², John Hargrove^{1*}, Tim Copeland², Matt Campbell^{2*}

¹Pacific States Marine Fisheries Commission

²Idaho Department of Fish and Game

*Eagle Fish Genetics Laboratory

Steelhead *Oncorhynchus mykiss*

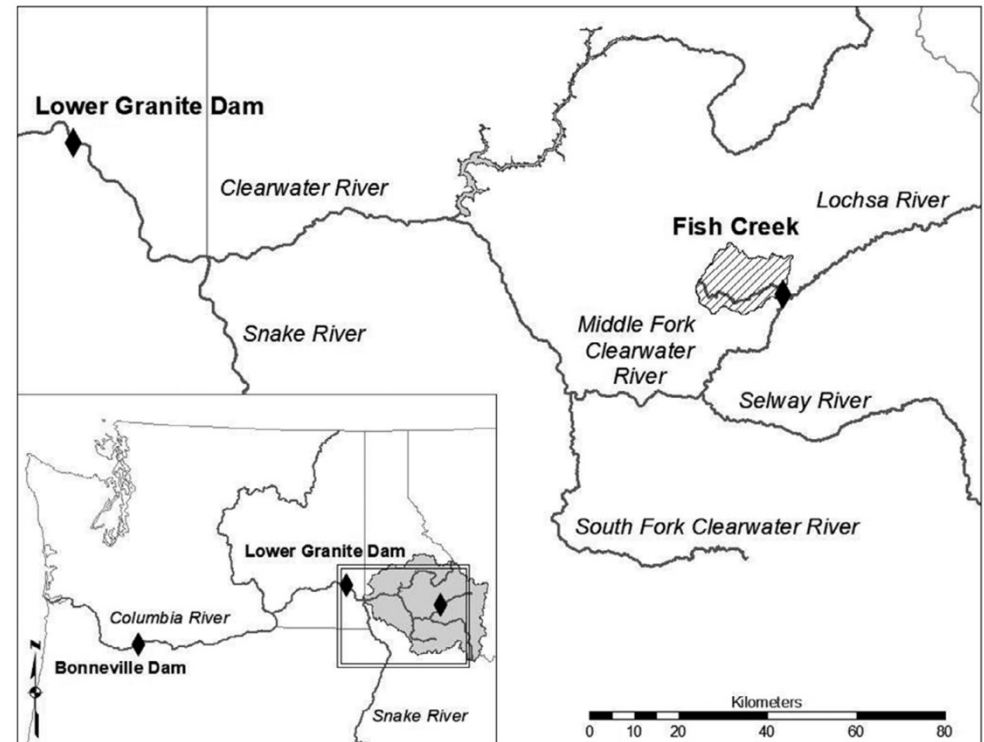
- Anadromous rainbow trout
- Life history diversity
- Spring spawners in snowmelt-driven watersheds
 - Knowledge gaps about abundance, migration timing, mating systems
- Snake River DPS
 - Listed in 1997
 - Recent declines



©Joseph R. Tomelleri

Fish Creek steelhead

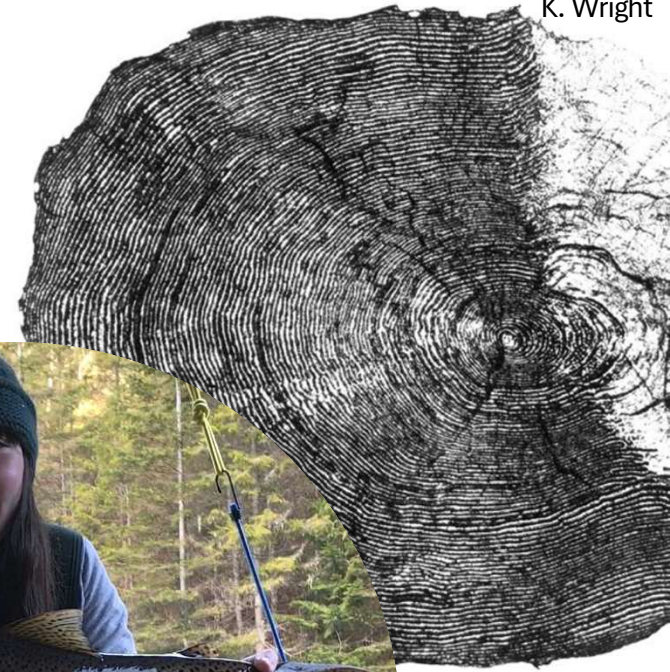
- Tributary to the Lochsa River with long-term monitoring program
- Modified picket weir and rotary screw trap since 1994
- Mark-recapture starting in 1996
- Genetic samples starting in 1997



Dobos et al. 2020

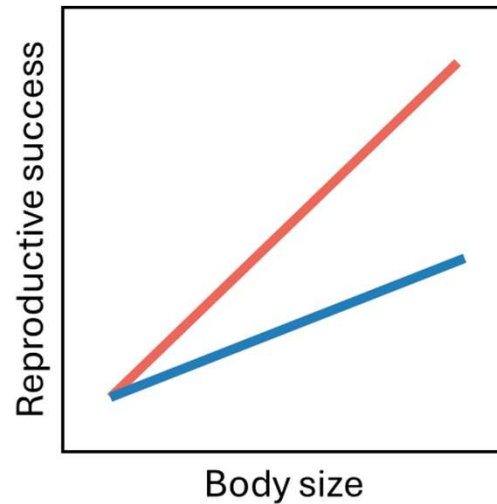
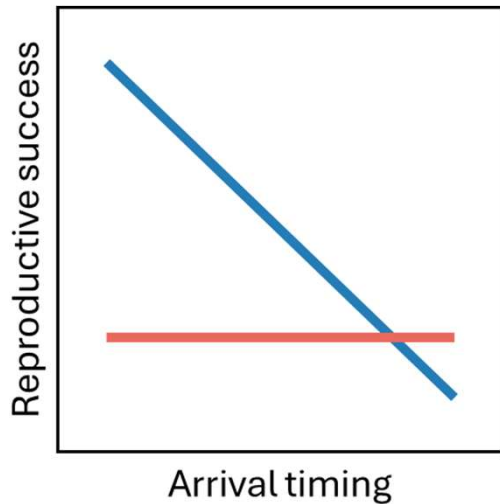
Genetic and biological data

- Genotyped 3,265 samples collected in 1997-2022
 - Genetic sex marker
- Genetic data paired with biological data
 - Scale age
 - Length
 - Arrival date

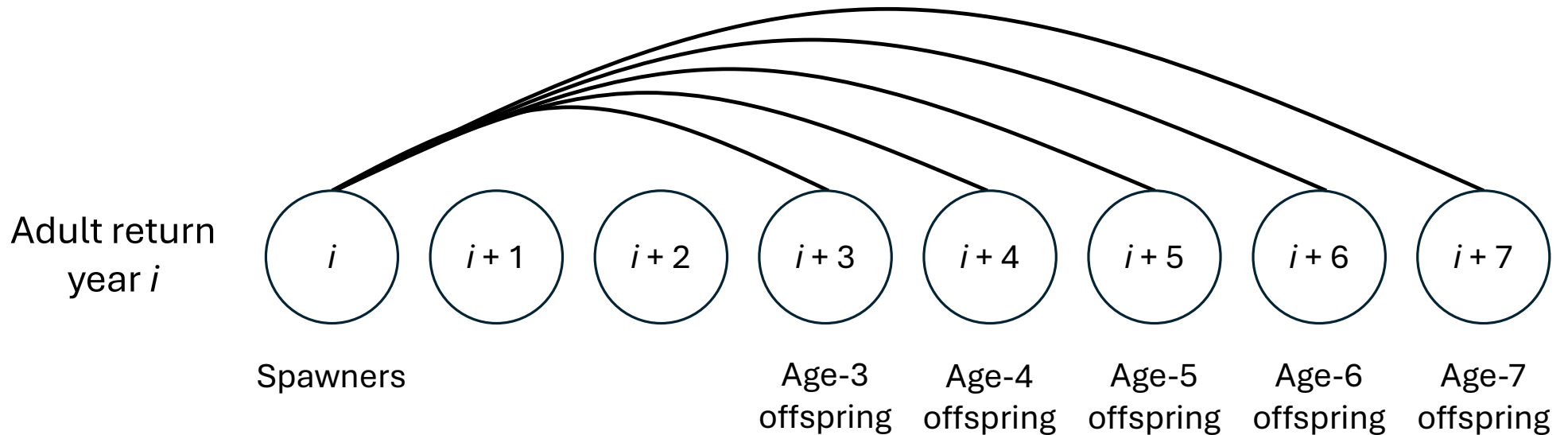


Objectives

- Describe genetic mating system using pedigree reconstruction
 - Life history diversity
 - Influence of sex, arrival timing, and body size

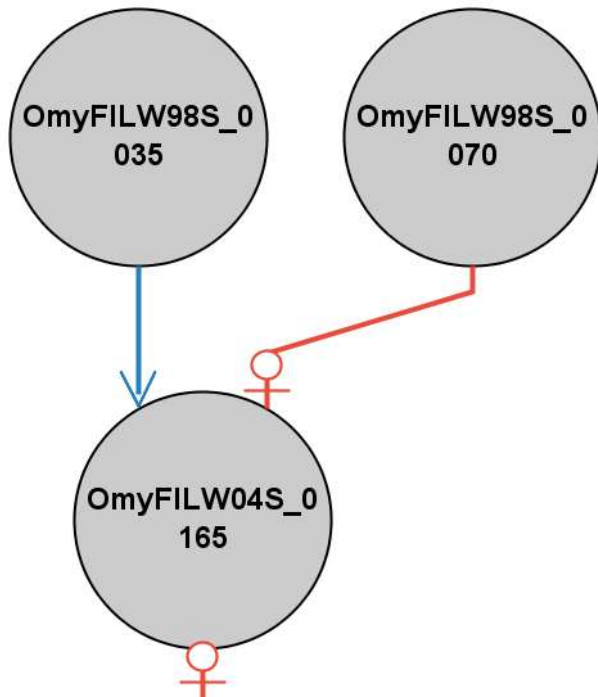


Pedigree reconstruction – adult-to-adult

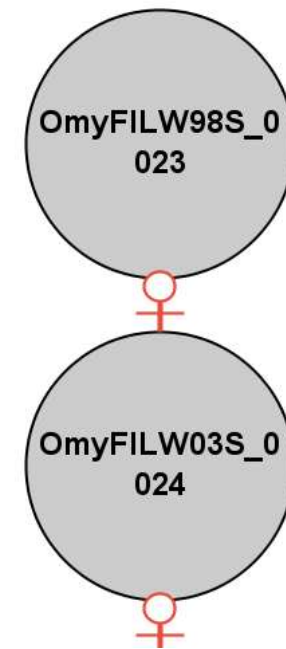


All offspring belong to brood year i

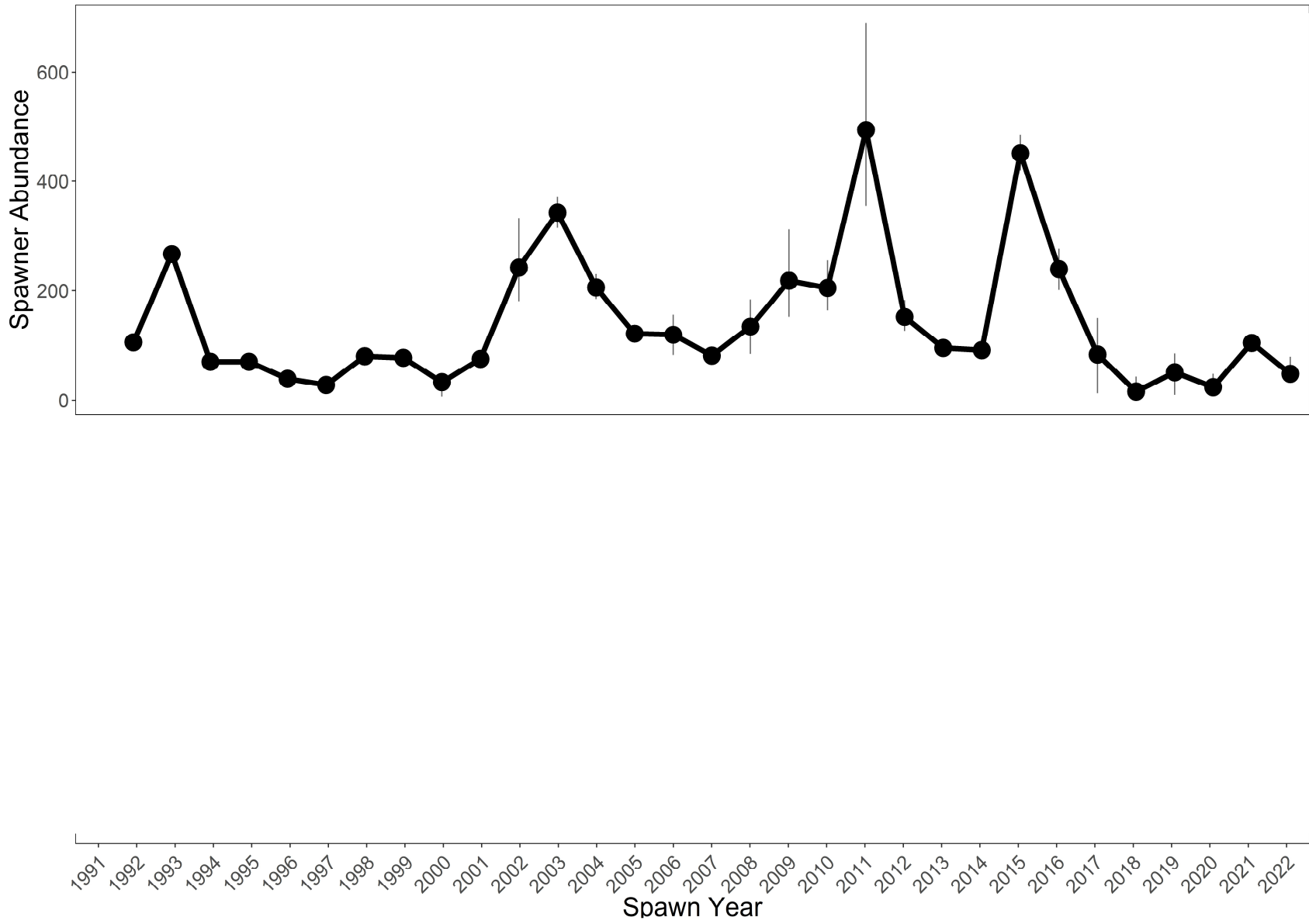
Types of parentage assignments

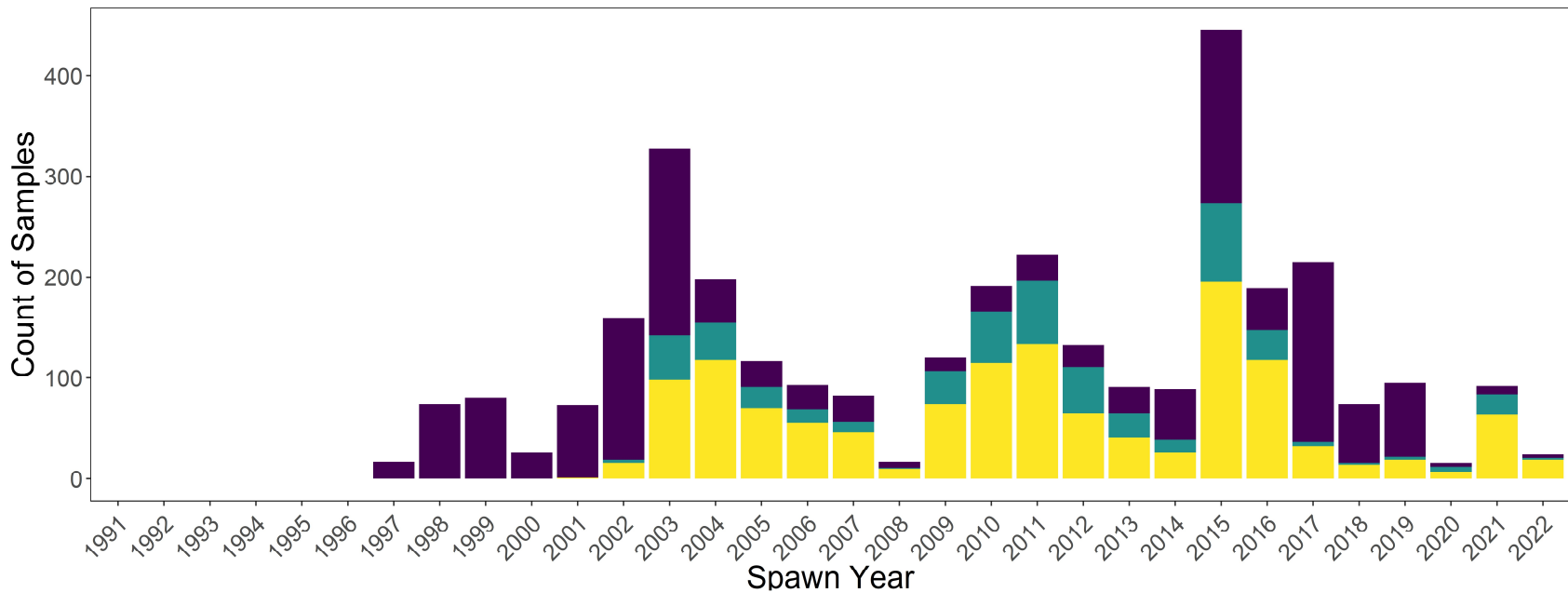
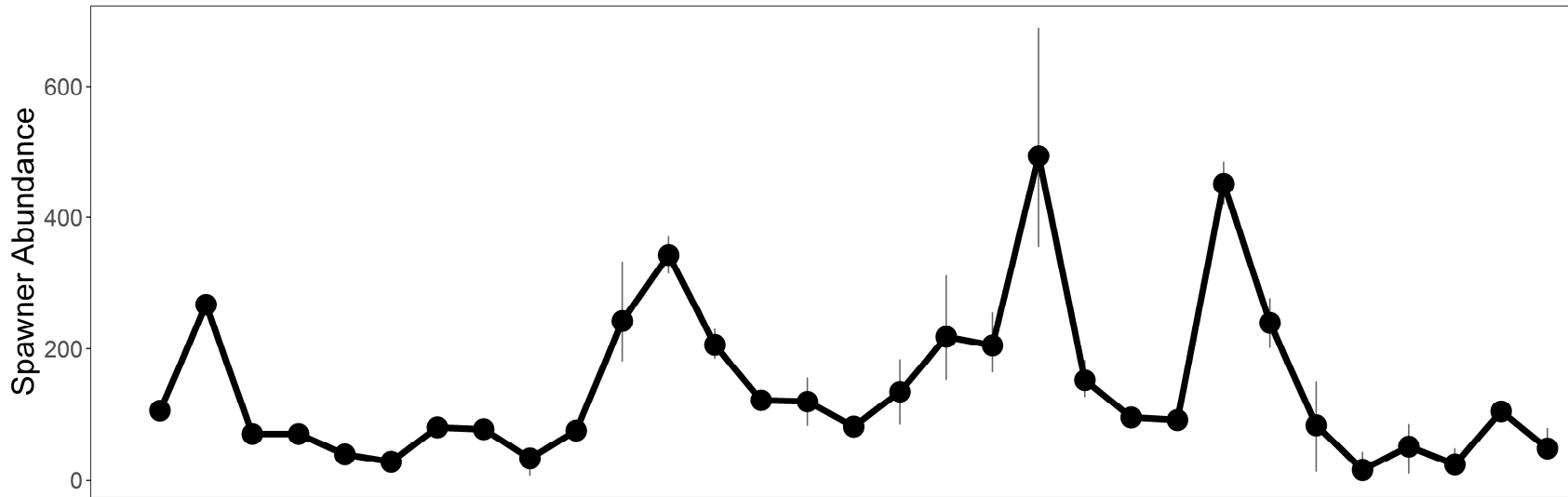


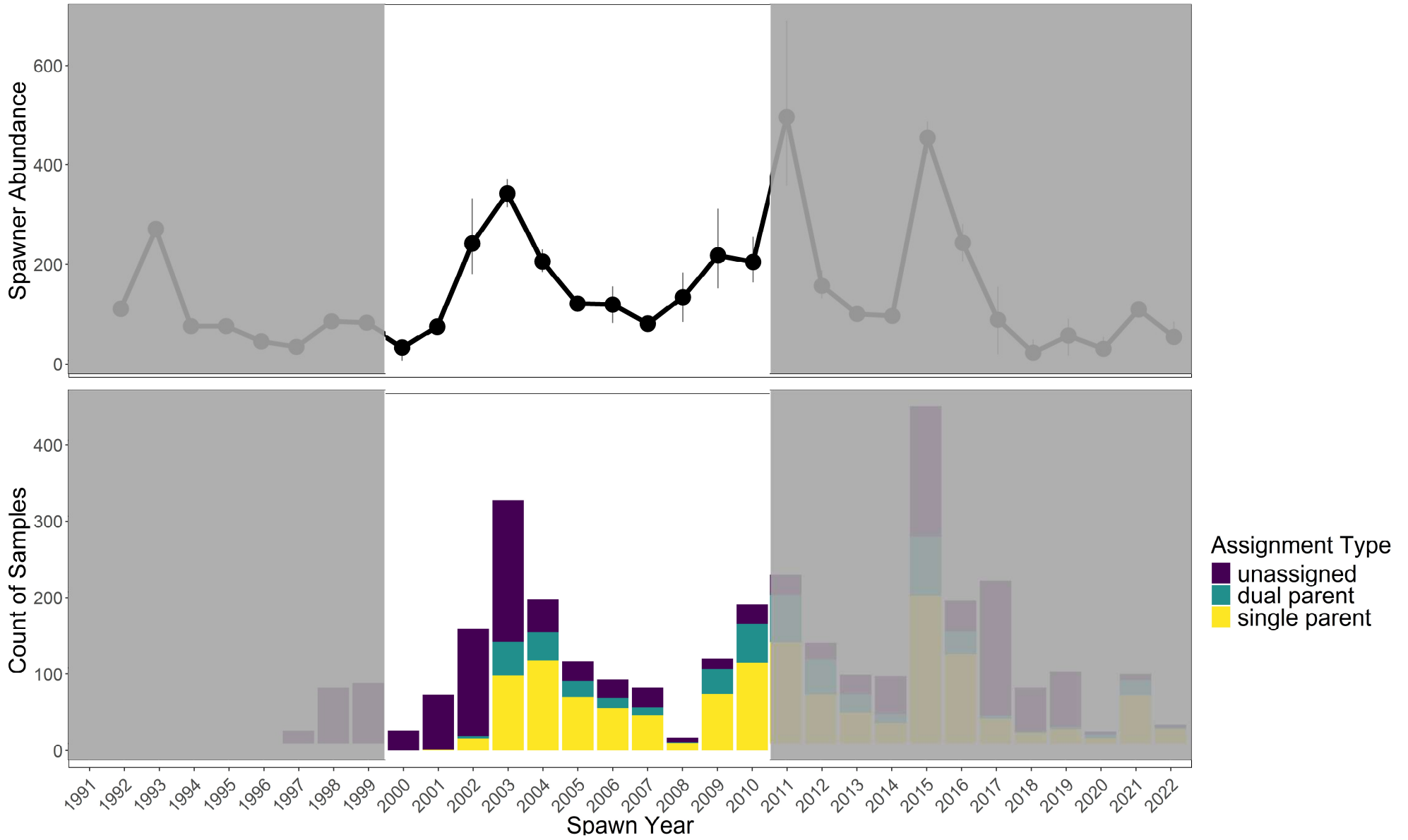
Dual parent assignment



Single parent assignment

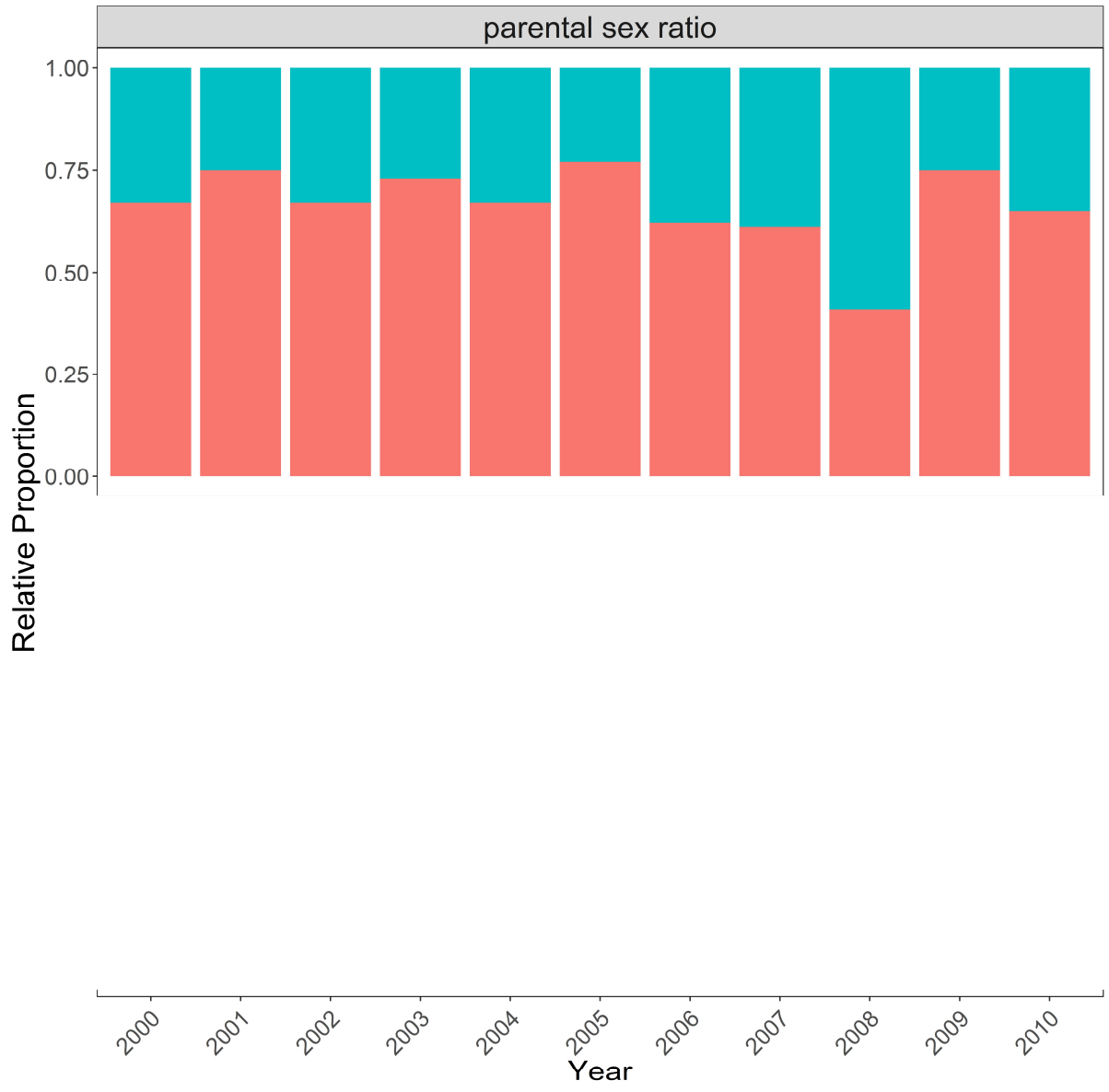




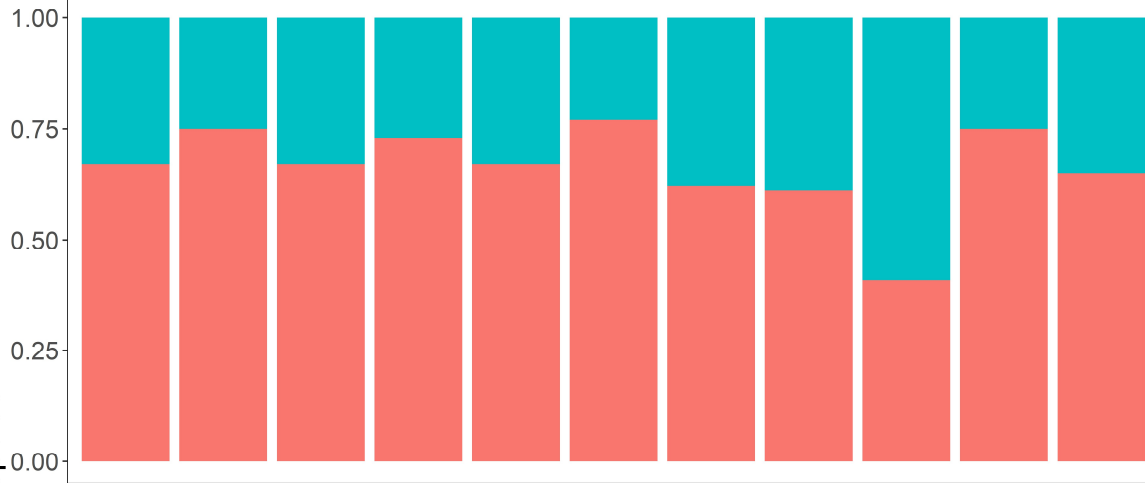


parental sex ratio

Male
Female

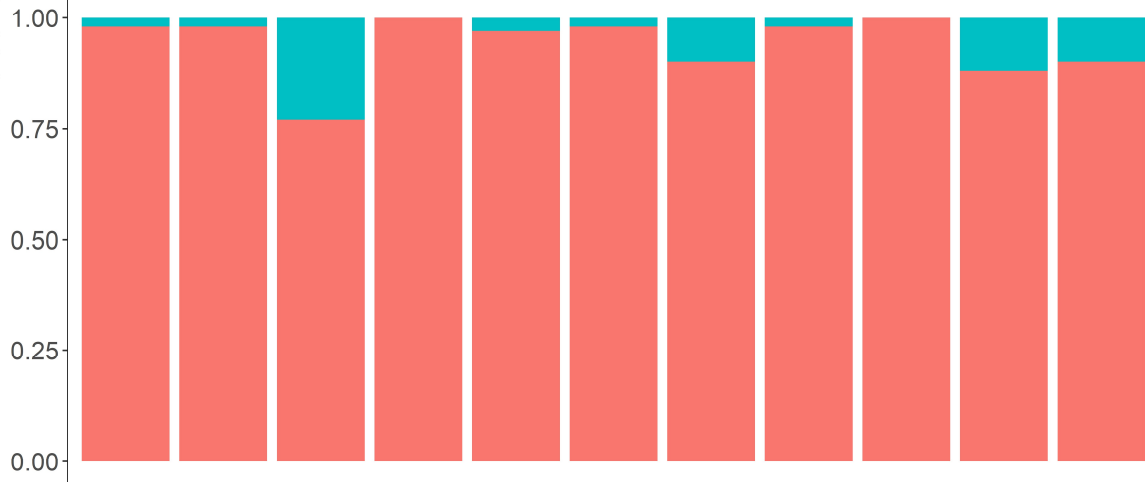


parental sex ratio

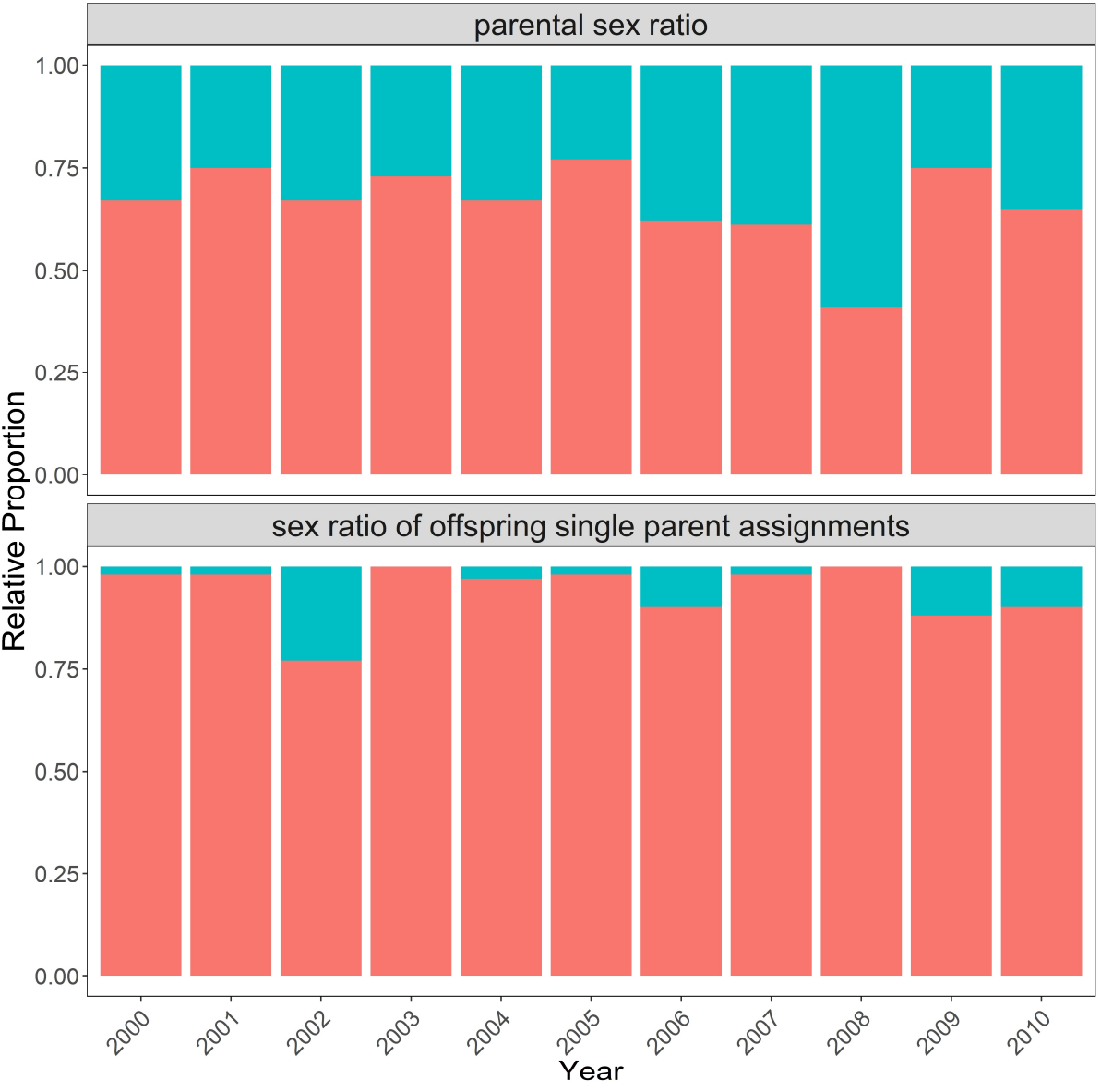


Male
Female

sex ratio of offspring single parent assignments



Year



Imbalance between the population-level sex ratio and sex ratio of single parent assignments indicates presence and significant reproductive contribution of resident males.

How successful are resident males?

- Indirectly estimated the number of successful resident males, reproductive success, and overall reproductive contribution using:
 - Sampled anadromous males
 - Genotyping success
 - Probability of reproductive success
 - Mean reproductive success
 - Weir efficiency
 - Total number of unsampled reproductively successful males
 - Estimated from single parent assignments to females

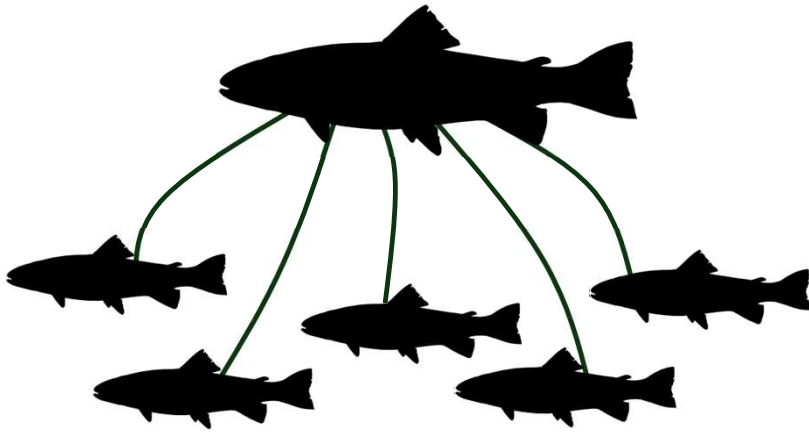
How successful are resident males?



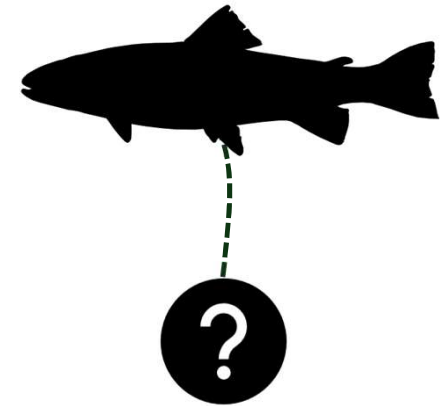
In most years, the majority of successful males were unsampled residents. These resident males produced $\approx 46\%$ of anadromous offspring from brood years 2000-2010.

How to model reproductive success?

- Excessive zeros with biological meaning (*zero-inflation*)



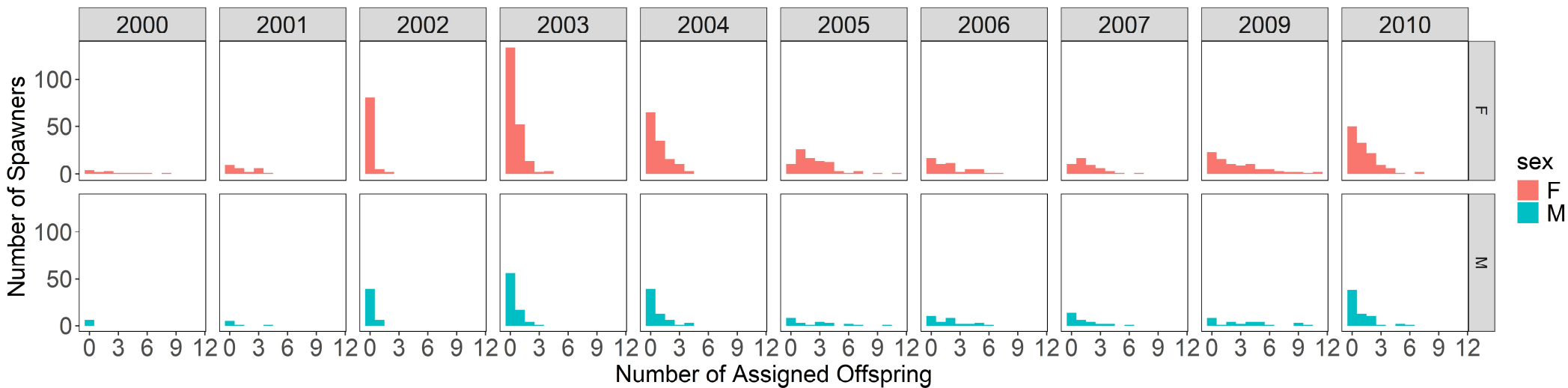
Successful spawner
 ≥ 1 offspring assigned



Unsuccessful spawner
0 offspring assigned
~62% of all spawners

How to model reproductive success?

- Excessive zeros with biological meaning (*zero-inflation*)
- High variability in numbers of offspring (*overdispersion*)



Negative binomial hurdle model

Negative binomial hurdle model

Did an individual return adult offspring?

Negative binomial hurdle model

Did an individual return adult offspring?

No
 $n\text{Offspring} = 0$

Negative binomial hurdle model

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 $n\text{Offspring} \geq 1$

Negative binomial hurdle model

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 $n\text{Offspring} = 0$

Yes
 $n\text{Offspring} \geq 1$

How many?

Negative binomial hurdle model

Did an individual return adult offspring?

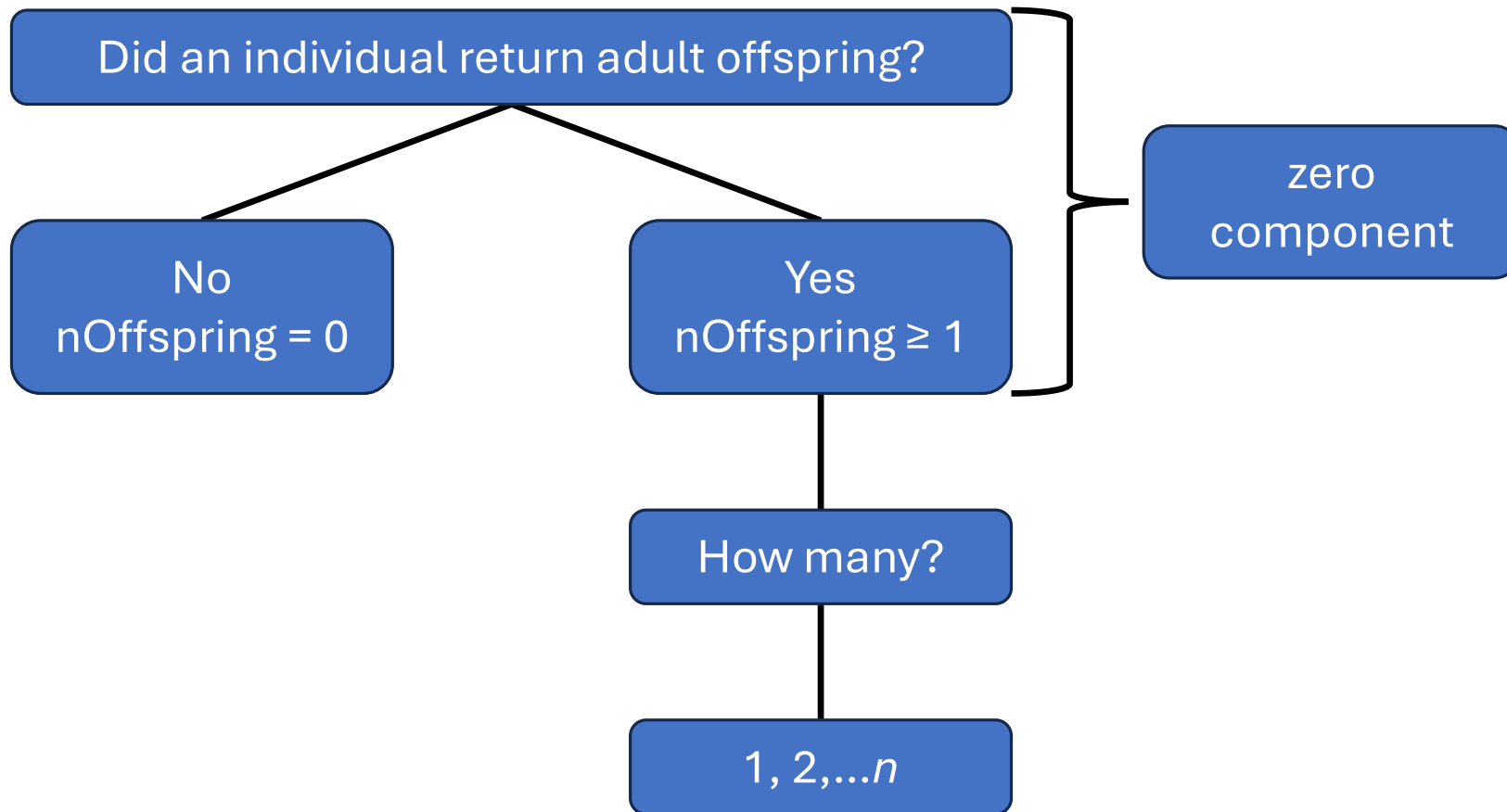
No
 $n\text{Offspring} = 0$

Yes
 $n\text{Offspring} \geq 1$

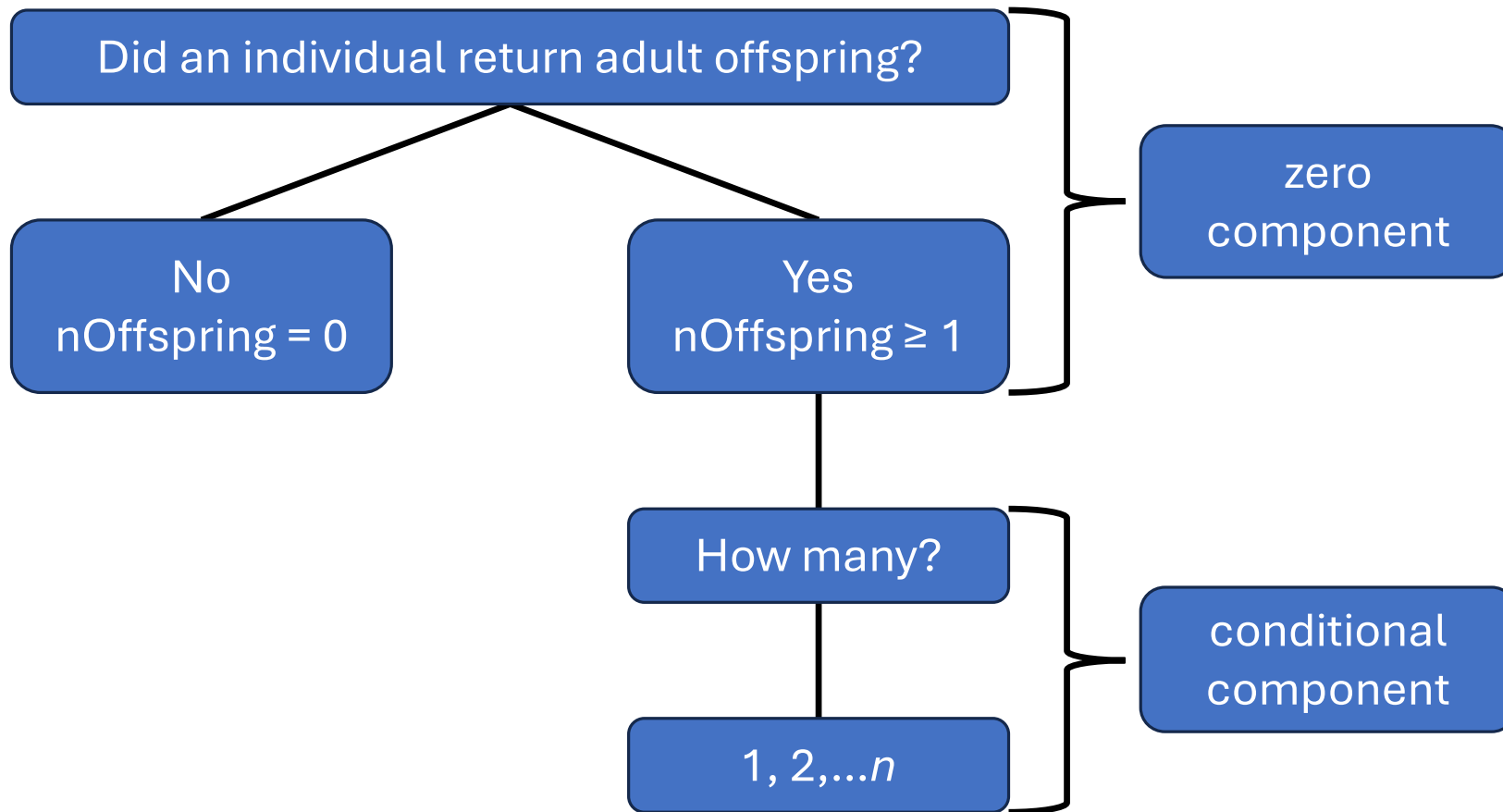
How many?

$1, 2, \dots, n$

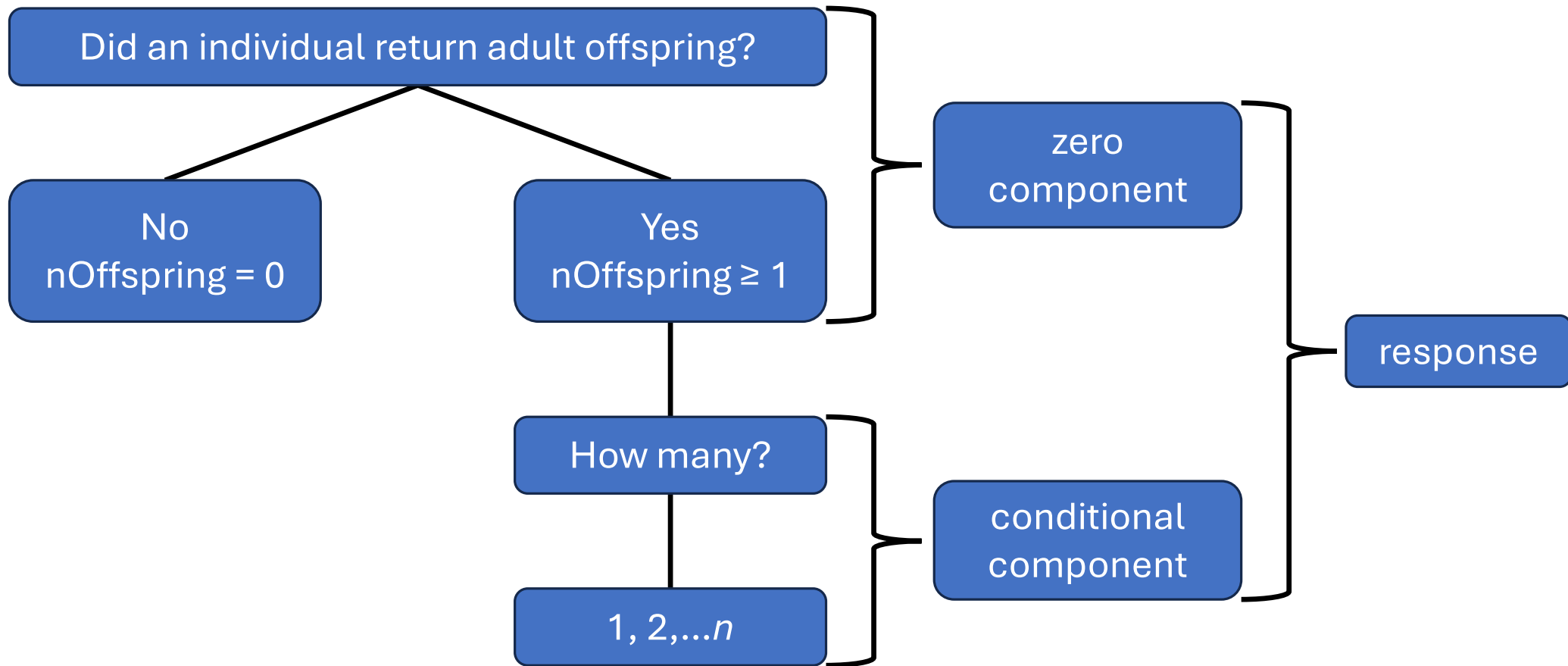
Negative binomial hurdle model



Negative binomial hurdle model



Negative binomial hurdle model



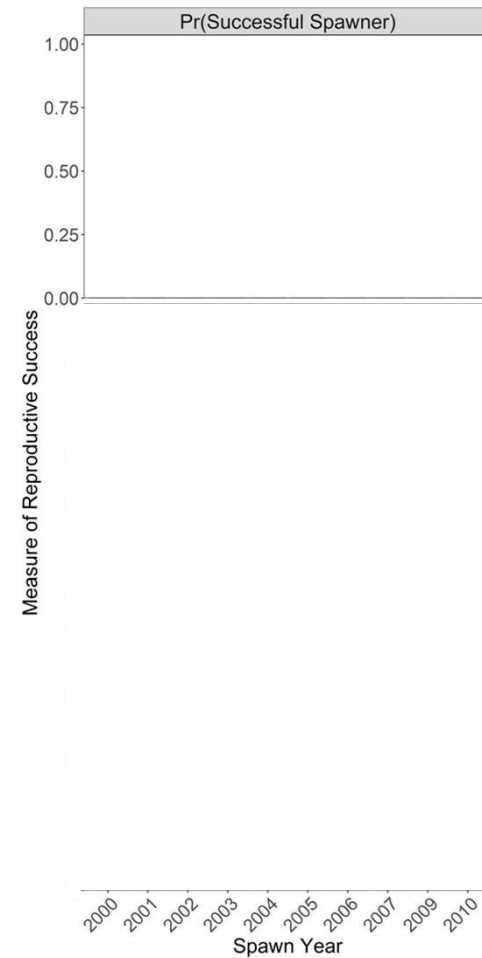
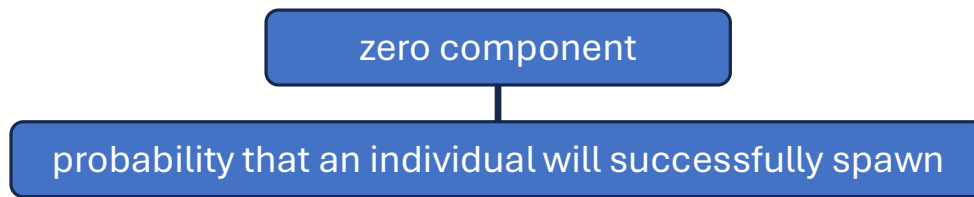
Hurdle model interpretation

zero component

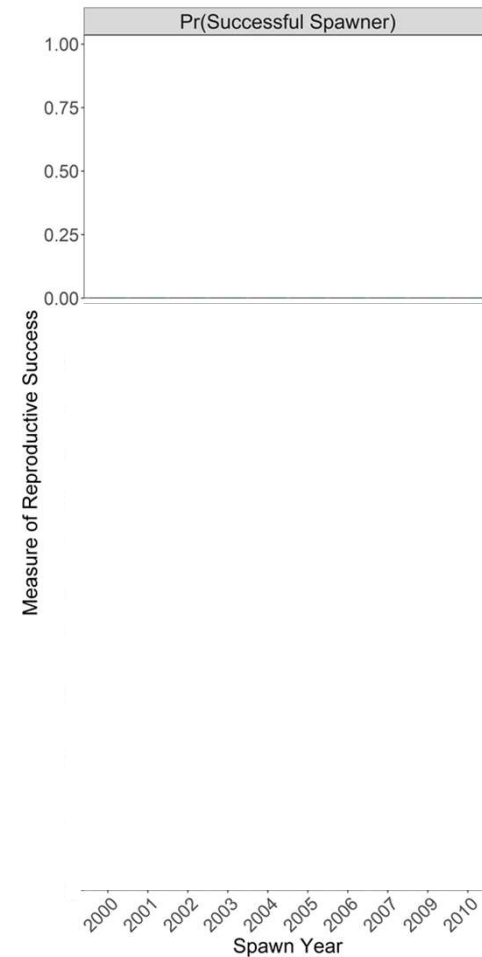
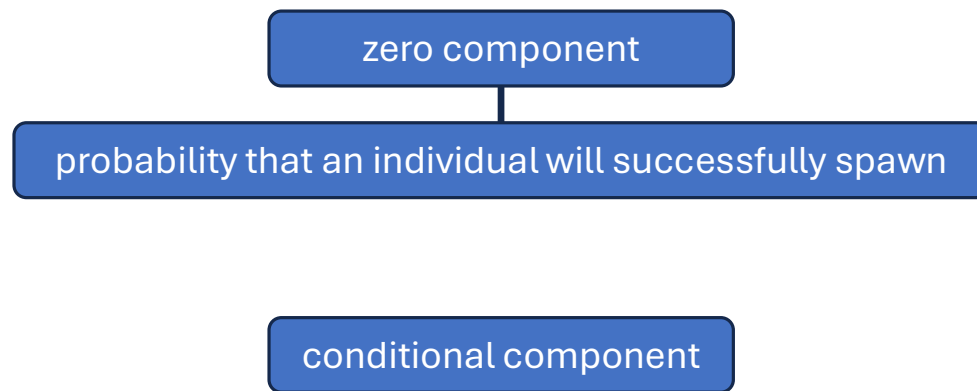
Measure of Reproductive Success

2000 2001 2002 2003 2004 2005 2006 2007 2009 2010
Spawn Year

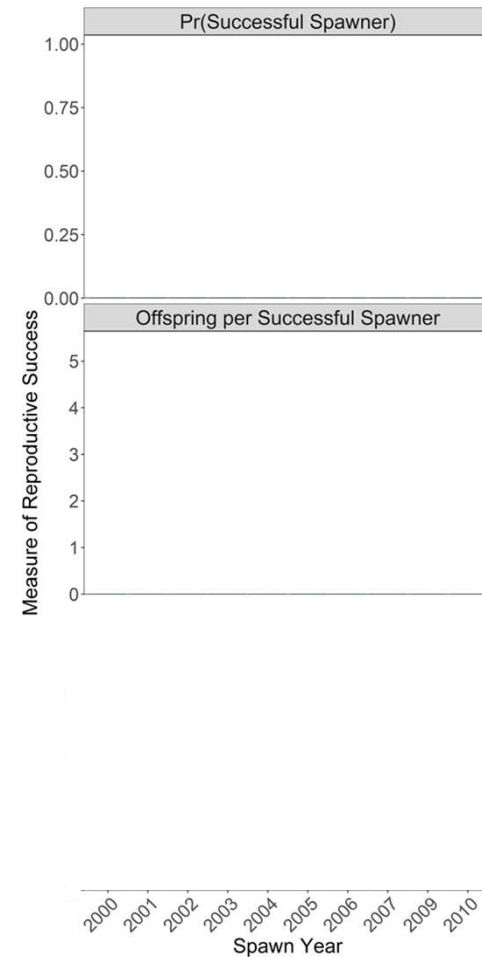
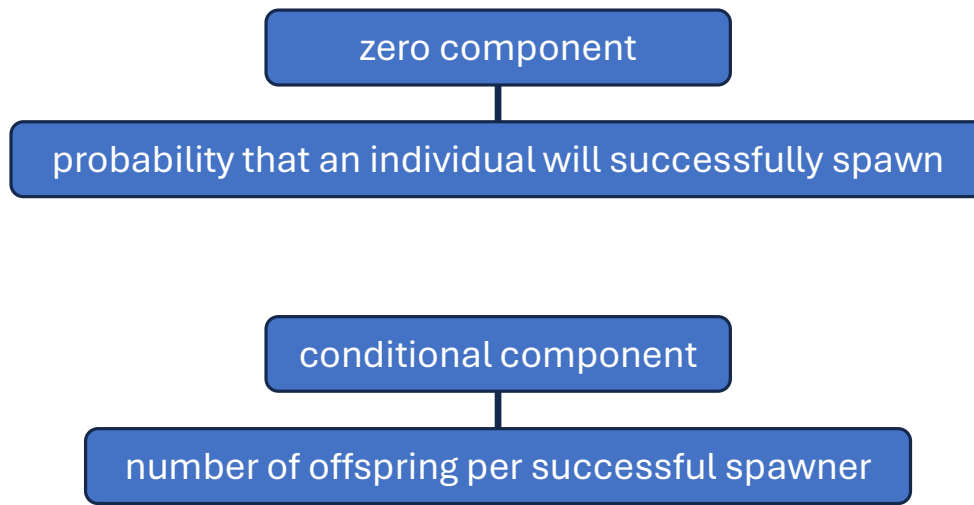
Hurdle model interpretation



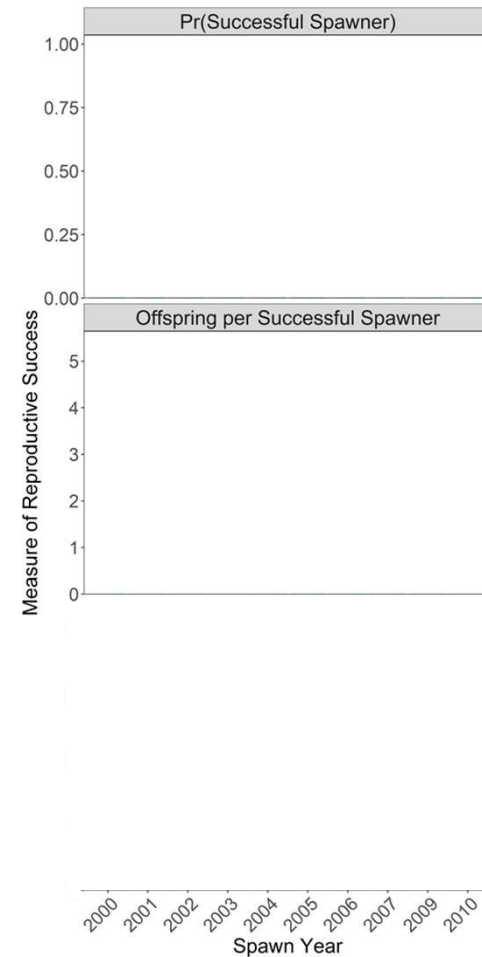
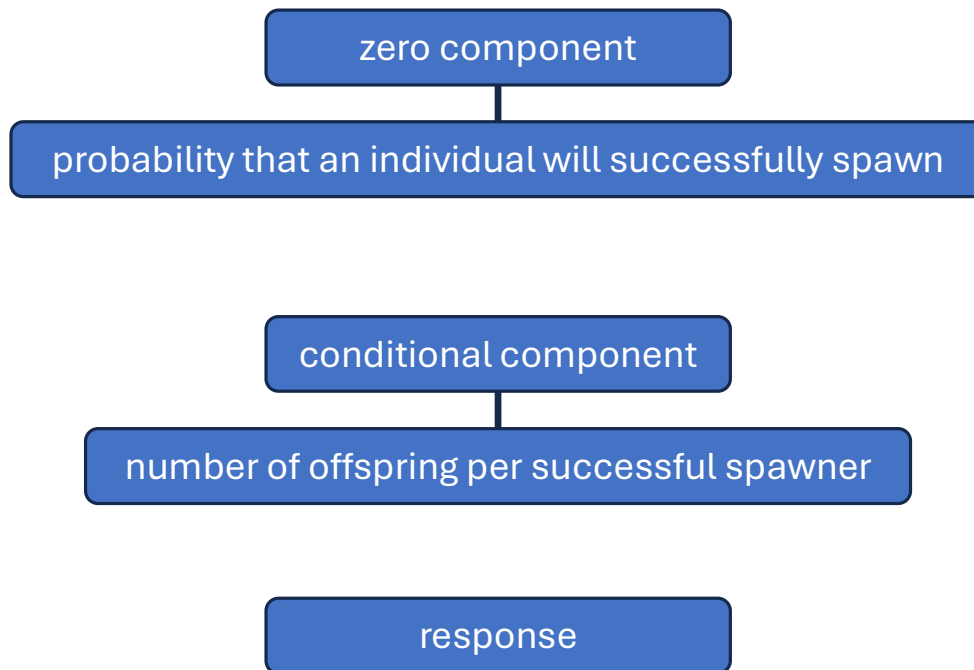
Hurdle model interpretation



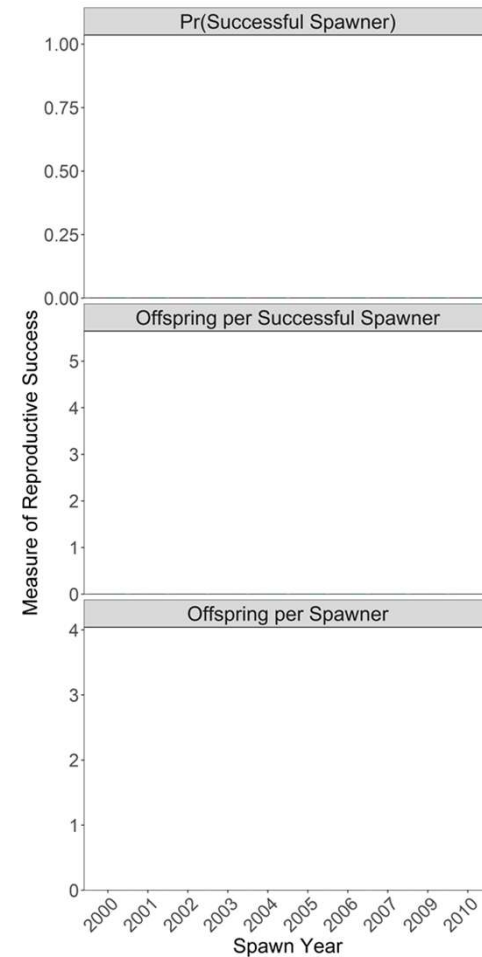
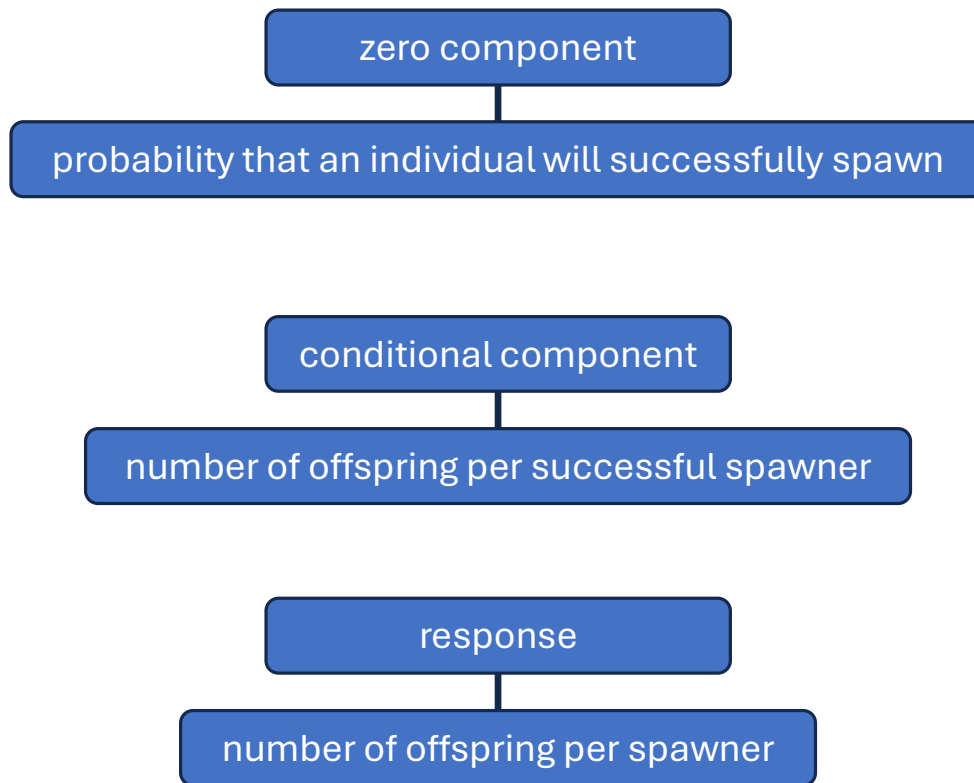
Hurdle model interpretation



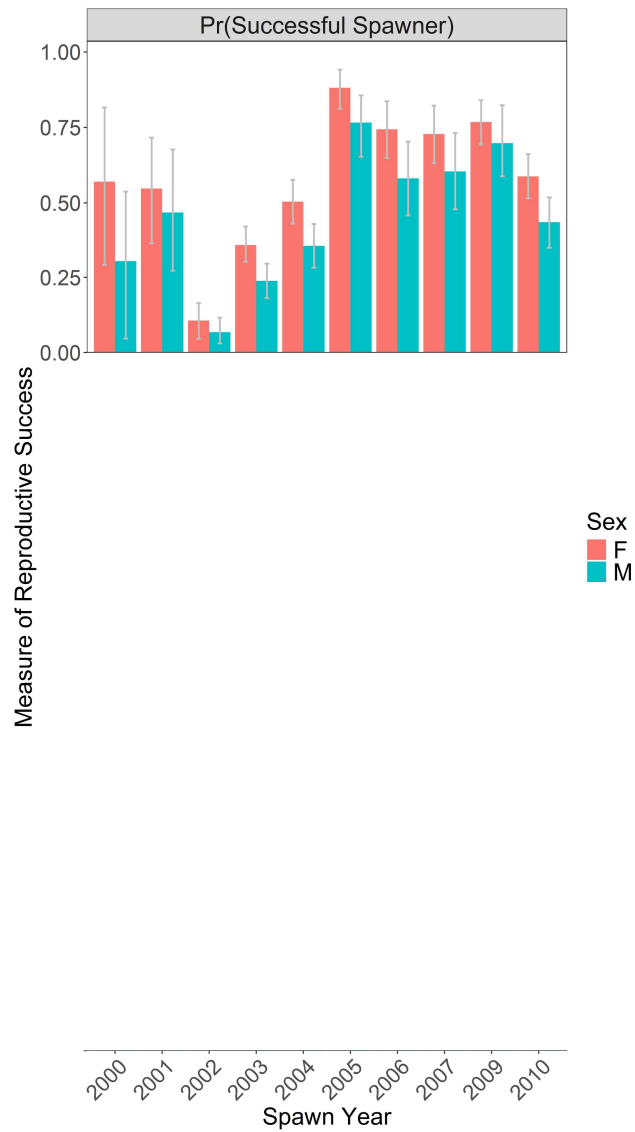
Hurdle model interpretation



Hurdle model interpretation

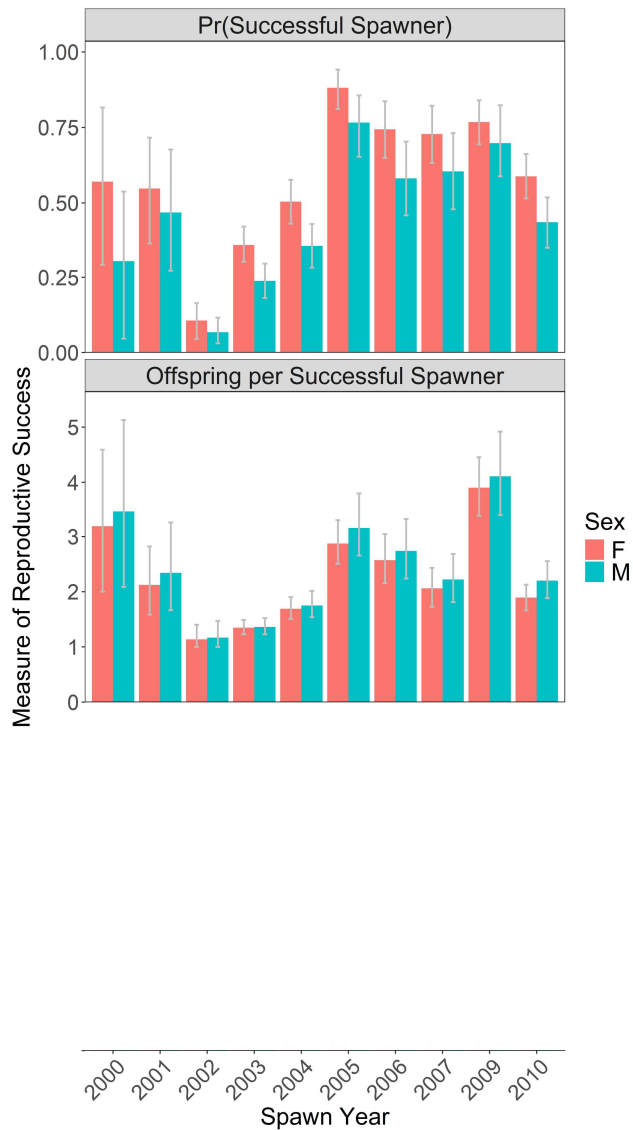


Probability of spawning success is highly variable across years, but on average, females are more likely to be successful.



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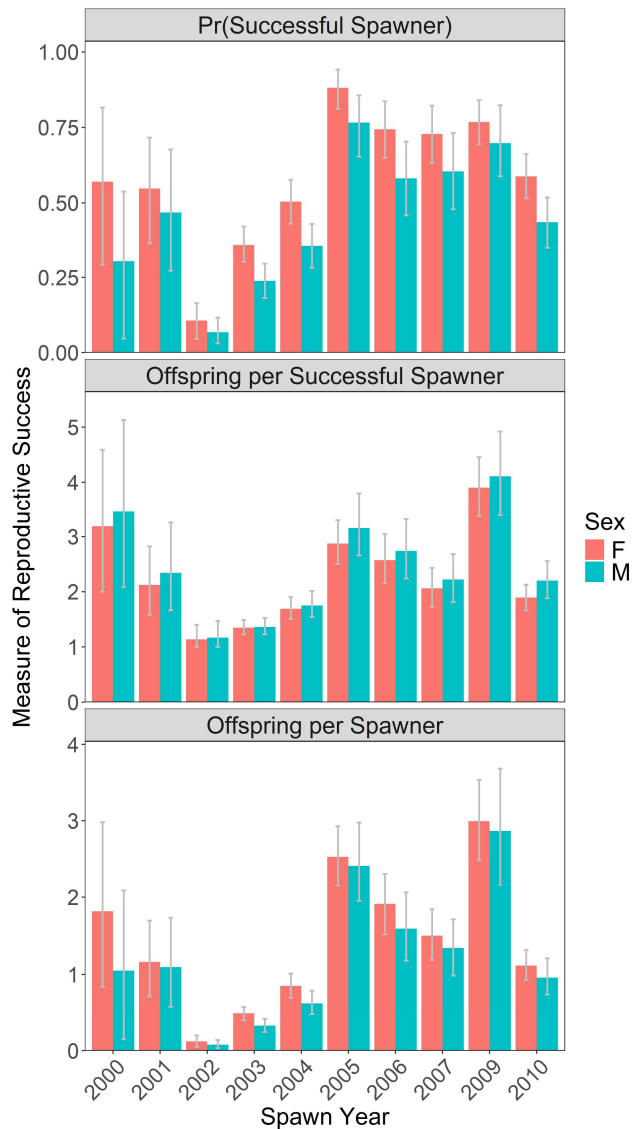
On average, successful males return more offspring than successful females.

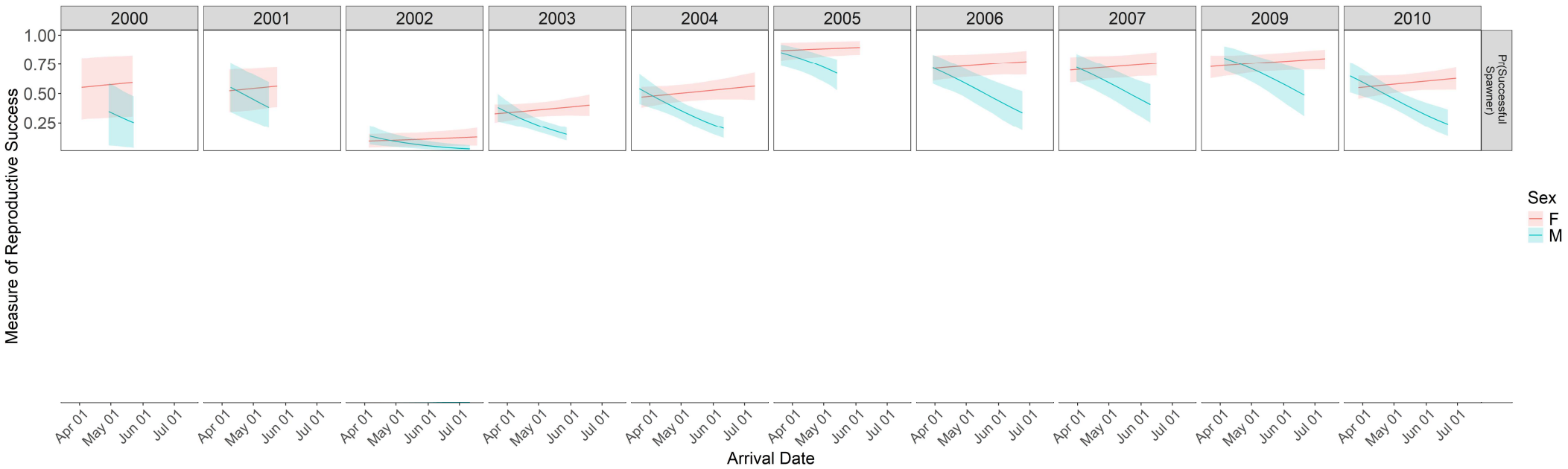


Probability of spawning success is highly variable across years, but on average, females are more likely to be successful.

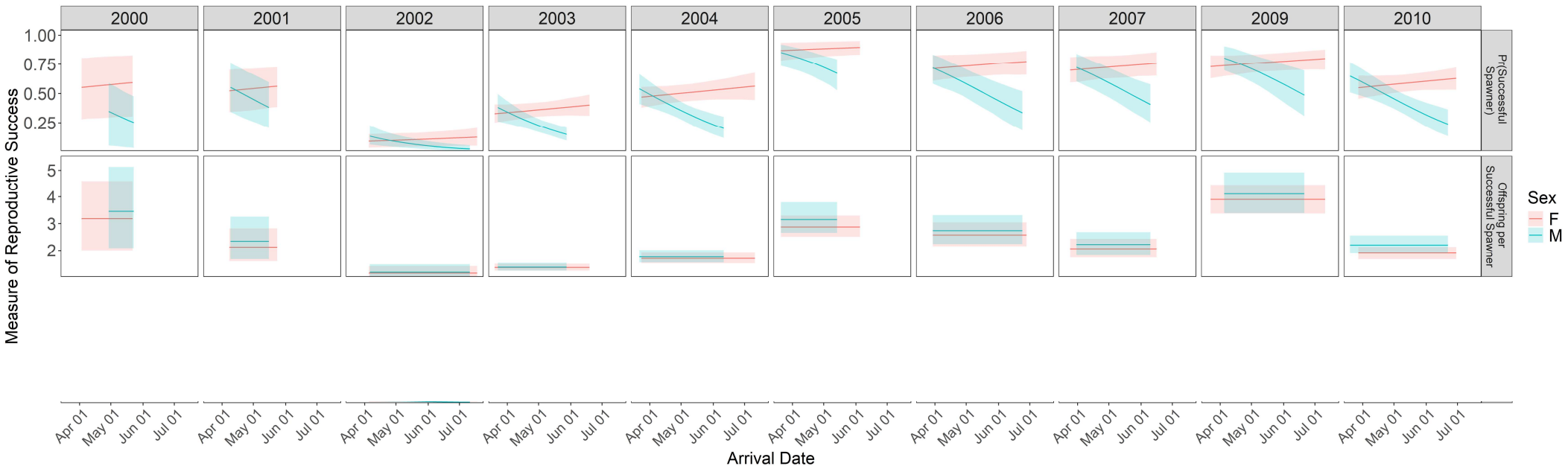
On average, successful males return more offspring than successful females.

Considering both zero and conditional components, reproductive success is comparable between males and females.

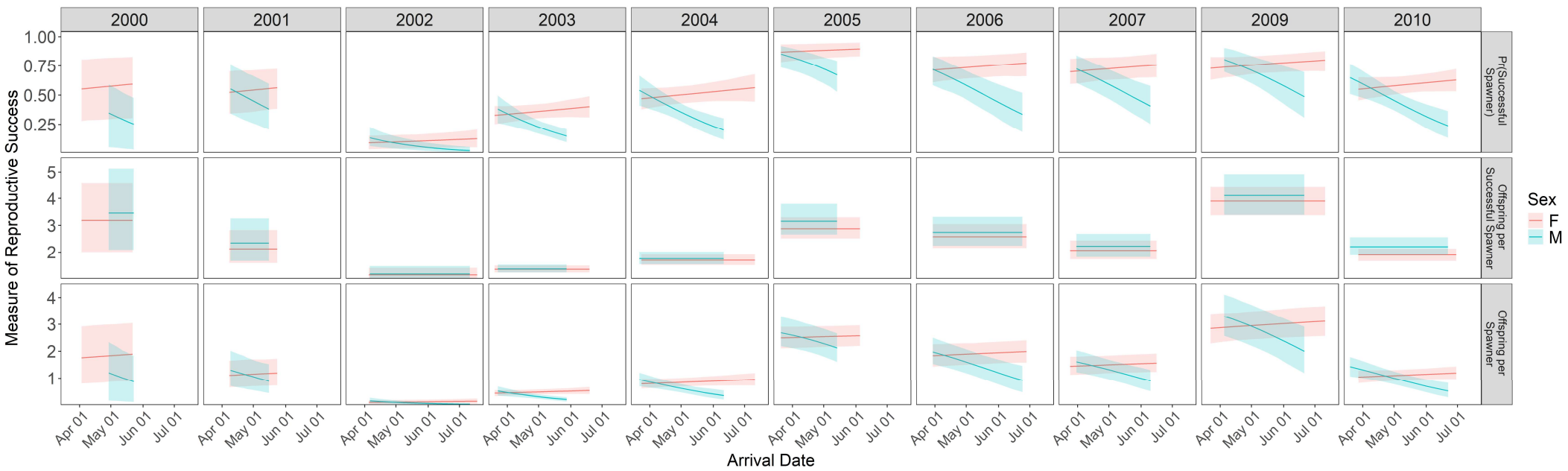




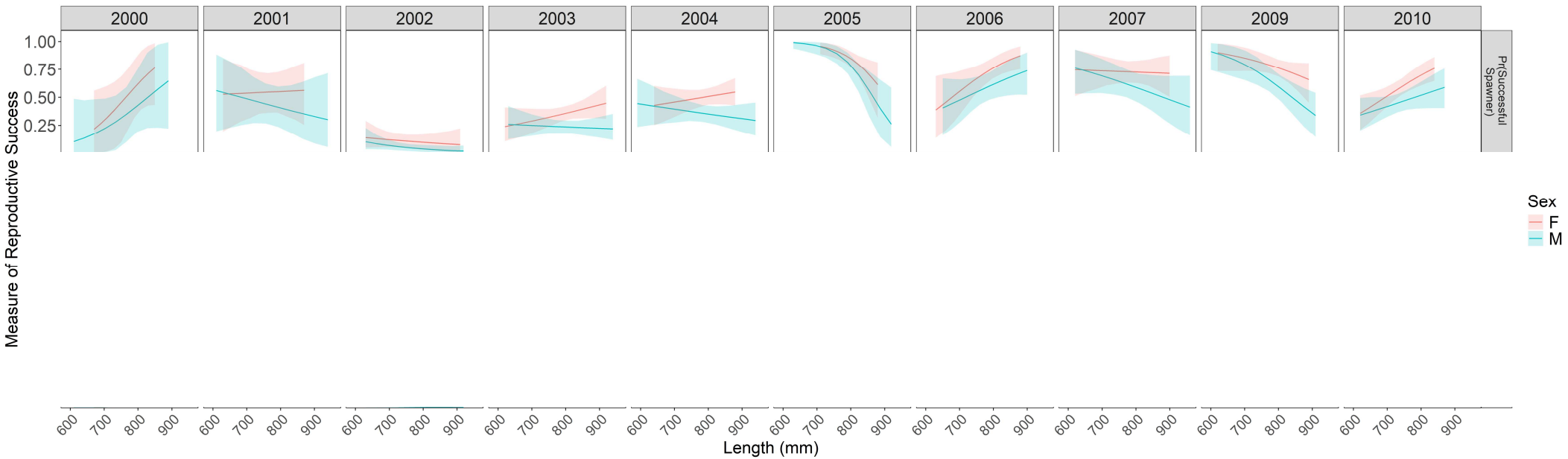
For females, probability of spawning success slightly increases with later arrival. For males, probability of successfully spawning decreases with later arrival.



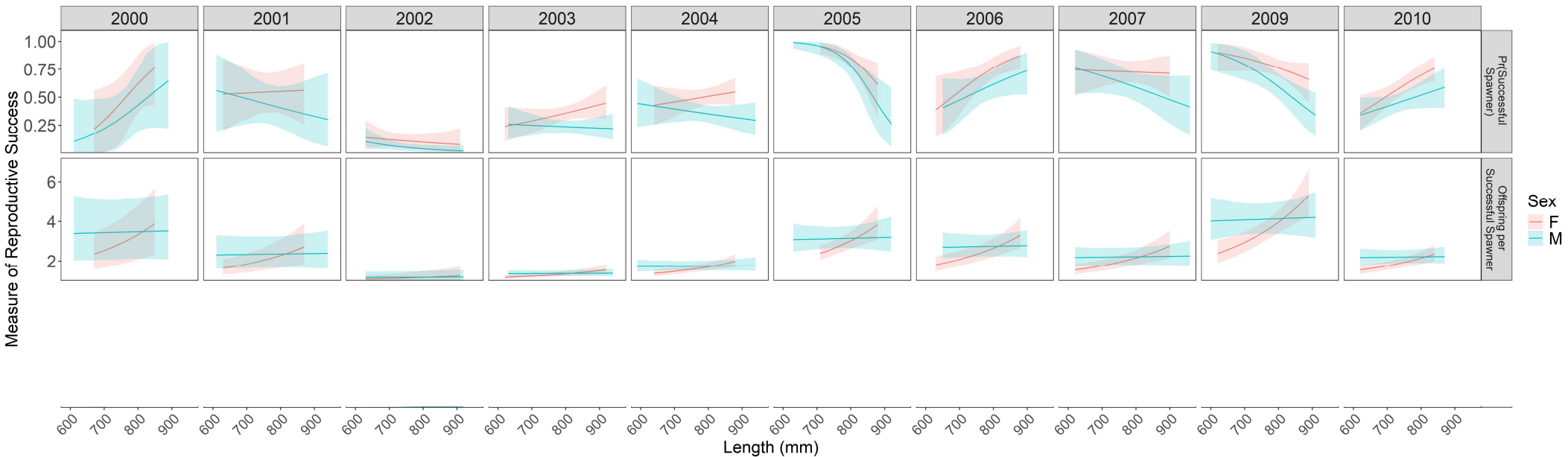
Arrival date was not supported as a covariate for the conditional component, so offspring per successful spawner is constant for males and females, regardless of arrival date.



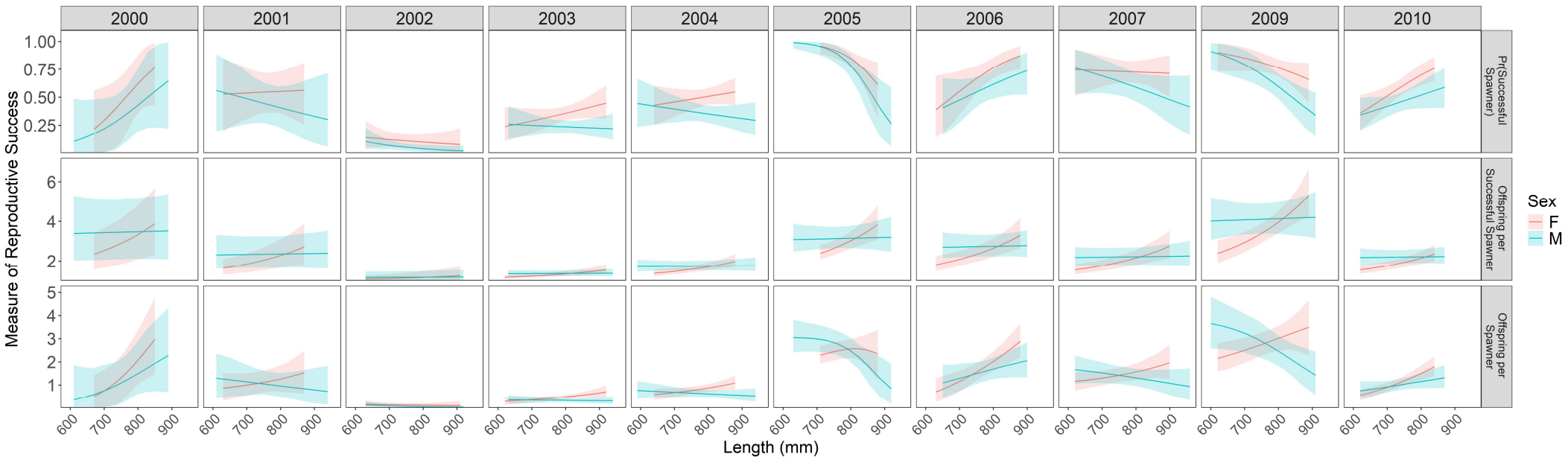
Taking both model components into account, males that arrive earlier return more offspring. In contrast, later arrival results in slightly higher reproductive success for females.



The relationship between spawning success, sex, and length is complex and varies across years.



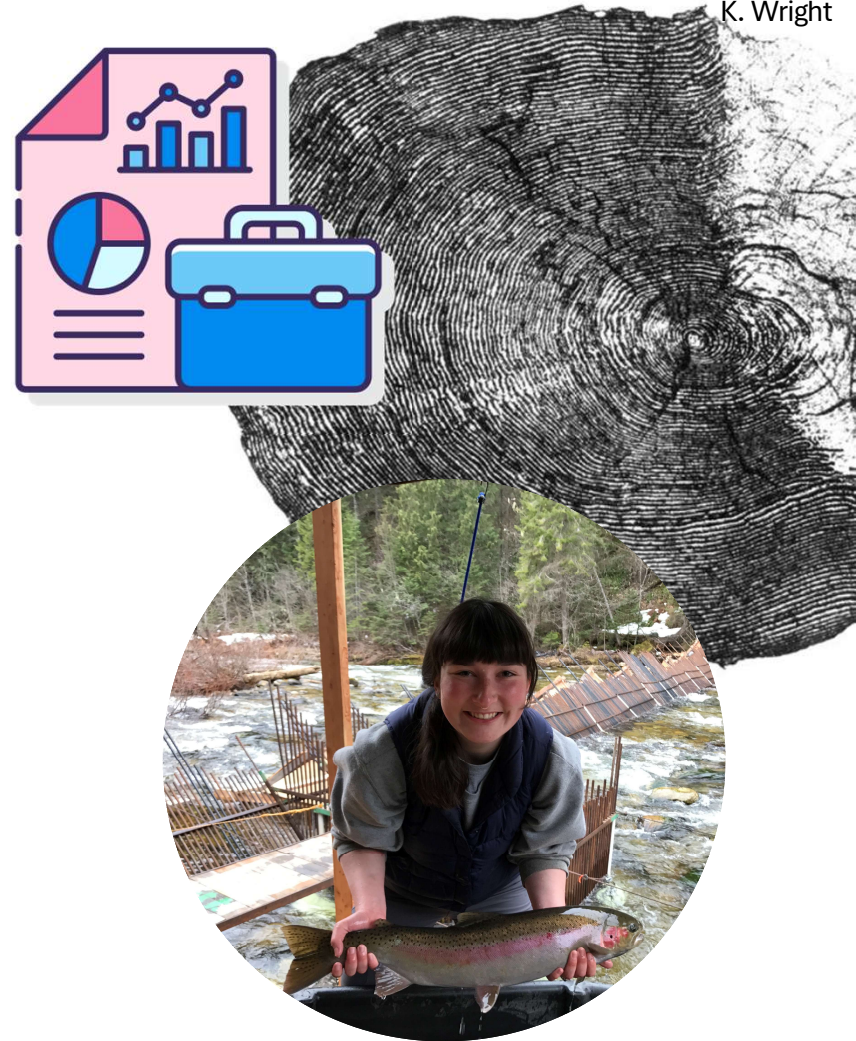
Successful males return consistent numbers of offspring regardless of size, whereas larger successful females tend to return more offspring.



Considering both zero and conditional components, smaller males and larger females tend to have higher overall reproductive success, but relationships are complex and vary significantly across years.

Fish Creek conclusions

- Opportunity to incorporate long-term demographic and genetic data across multiple generations
 - What drives population persistence?
 - How are populations buffered against stochasticity?
 - What purpose does life history diversity serve?



Acknowledgements



Marika
Dobos



John
Hargrove



Tim
Copeland



Matt
Campbell



Funding

- Bonneville Power Administration

Sample collection

- Staff at the Fish Creek weir

Other analyses

- Nolan Smith

Sample inventory and genetic analysis

- Jesse McCane
- Natalie Beeken
- Lynn Schrader

Scale mounting and ageing

- Leslie Reinhardt
- Micah Davison

An aerial photograph of a river winding through a dense, dark green forest. The river is light-colored, possibly due to sediment or snow, and flows from the upper left towards the lower right. The surrounding forest is thick with tall, thin trees. In the foreground, there are some bare, brownish branches and shrubs.

Questions?

audrey.harris@idfg.idaho.gov

$$\text{unsampled anadromous males} = \frac{\left(\frac{\text{sampled anadromous males}}{\text{proportion genotyped successfully}} \right)}{\text{weir efficiency}} - \text{sampled anadromous males}$$

$$\text{probability of success for anadromous males} = \frac{\text{unique successful sampled males}}{\text{sampled anadromous males}}$$

$$\text{successful unsampled anadromous males} = \text{unsampled anadromous males} \times \text{mean anadromous male reproductive success}$$

$$\text{successful unsampled resident males} = \text{unique males involved in SP assignments to females} - \text{successful unsampled anadromous males}$$

$$\text{mean reproductive success of anadromous males} = \frac{\text{offspring assigned to sampled anadromous males}}{\text{unique successful sampled males}}$$

$$\text{offspring of unsampled anadromous males} = \text{successful unsampled anadromous males} \times \text{mean reproductive success of anadromous males}$$

$$\text{offspring of unsampled resident males} = \text{offspring involved in SP assignments to females} - \text{offspring of unsampled anadromous males}$$

$$\text{mean reproductive success of resident males} = \frac{\text{offspring of unsampled resident males}}{\text{successful unsampled resident males}}$$

$$\text{proportion of offspring from unsampled resident males} = \frac{\text{offspring of unsampled resident males}}{\text{offspring of sampled anadromous males} + \text{offspring of unsampled anadromous males} + \text{offspring of unsampled resident males}}$$

Global model

cond: $n\text{Offspring} \sim \text{sex} * \text{dayOfYear} + \text{sex} * \text{length} + \text{sex} * \text{year} + \text{year} * \text{dayOfYear} + \text{year} * \text{length}$

zi: $\sim \text{sex} * \text{dayOfYear} + \text{sex} * \text{length} + \text{sex} * \text{year} + \text{year} * \text{dayOfYear} + \text{year} * \text{length}$

Best fit model

cond: $n\text{Offspring} \sim \text{length} + \text{sex} + \text{year} + \text{length}:\text{sex}$

zi: $\sim \text{dayOfYear} + \text{length} + \text{sex} + \text{year} + \text{dayOfYear}:\text{sex} + \text{length}:\text{sex} + \text{length}:\text{year}$